

# The BGP Routing Topology



A fault at a router induces changes in all the outgoing routes.

Changes at a group of routes at the same time may be caused by a **common root cause**.

Routes 1, 5, 9, 11 are **correlated**!

Routes 1, 5, 11 are closed together. They may have been affected by the **same** router **failure**!

We can **isolate** the root causes of the issues!

# Finding Dense Correlated Subgraphs

**INPUT:** a dynamic network, a **correlation** threshold  $\tau$ , a **density** threshold  $\sigma$ , and a **similarity** threshold  $\varepsilon$ 

**GOAL:** find all the maximal  $\tau$ -correlated  $\sigma$ -dense subgraphs with *ɛ*-limited overlap

In static networks, the density of a subgraph is the average node degree In dynamic networks, the average node degree changes over time!

# Demo Scenario

### Loading the Network



Statistics

**General Statistics** 

#### PARAMETERS

Correlation between edges How the density is computed Density for a group of edges How many edges to be active Upperbound on the group size Upperbound on the similarity BGP routing topology network Routing tables from Aug 29 to Aug 31 (Hurricane Katrina)

#### **Density** of a subgraph H in a **dynamic** network:

 $ho^{k}_{m}$  is the **minimum** density across the snapshots where H is **active**  $ho^{k}_{a}$  is the **average** density across the snapshots where H is **active** 

H is active at time t, if at least k% of its edges exists in t

H is  $\sigma$ -dense if  $\rho^{k}(H) \geq \sigma$ 

**Correlation** of a subgraph H in a **dynamic** network:

c<sub>m</sub>(H) is the **minimum Pearson** correlation between edges in H

H is  $\tau$ -correlated if  $c_m(H) \ge \tau$ 

**Similarity** of two subgraphs H and J:

s(H, J) is the **Jaccard** similarity between the edge sets

#### **Network Statistics**



Minimum, average, and maximum node degree in each snapshot Number of edges per snapshot Node degree distribution in the union graph Edge existence distribution

### Viewing the Dense Subgraphs

Union graph with dense correlated groups highlighted Routing paths that changed similarly over time and topologically close



## HOW?

1. Enumerate maximal groups of correlated edges a. Build **auxiliary graph** of correlated edges b. Find **maximal cliques** 

2. Extract **dense subgroups** from each clique

- a. Find connected components
- b. For each component, iteratively remove the lowest-degree node **until** the group **becomes dense** or empty

#### Instability regions originated from the failure of the same router

#### Subgraph Exploration



Analyze a particular dense subgraph The network analyst can see countries affected by the disaster issues caused by the same failure

